INT September 14 – October 23, 2015 Intersections of BSM Phenomenology and QCD for New Physics Searches

Weak excitation of baryon resonances and neutrino experiments

Luis Alvarez Ruso

O. Buss¹, Y. Hayato², E. Hernandez³, T. Leitner¹,
K. Mahn⁴, J. Nieves⁵, U. Mosel¹, E. Oset⁶, X. Ren⁷,
E. Saul⁶, M. Vicente⁶, E. Wang⁸
¹U. Giessen, ²U. Tokyo, ³U. Salamanca, ⁴MSU, ⁵IFIC,
⁶U. Valencia, ⁷Beihang U., ⁸Zhengzhou U.

- Neutrino interactions with matter are at the heart of many interesting and relevant physical processes
 - Astrophysics
 - Dynamics of the core-collapse in supernovae
 - r-process nucleosynthesis
 - Physics Beyond the Standard Model
 - **Non-standard** ν interactions
 - Hadronic physics
 - Nucleon and Nucleon-Resonance (N-△, N-N*) axial form factors
 - Strangeness content of the nucleon spin
 - Nuclear physics
 - Information about: nuclear correlations, MEC, spectral functions
 - Complement electron scattering studies

- Neutrino interactions with matter are at the heart all experiments seeking to unravel its nature.
- Oscillation experiments (with accelerator *v* in the few-GeV region): T2K, NOvA, MicroBooNE, Hyper-K, DUNE/LBNF
 - Good understanding of neutrino interactions are important for:
 - ν detection, E_{ν} reconstruction, ν flux calibration
 - determination of (irreducible) backgrounds
 - reduction of systematic errors
 - **needed** in the quest for CP violation and ν mass hierarchy
 - Near detectors help to reduce systematic errors but ND vs FD:
 - exposed to different fluxes with different flavor composition

Different geometry, acceptance and targets

- Neutrino interactions with matter are at the heart all experiments seeking to unravel its nature.
- Oscillation experiments (with accelerator ν in the few-GeV region):
 T2K, NOvA, MicroBooNE, Hyper-K, DUNE/LBNF
 - Good understanding of neutrino interactions are important for:
 - ν detection, E_{ν} reconstruction, ν flux calibration
 - determination of (irreducible) backgrounds
 - reduction of systematic errors
 - **needed** in the quest for CP violation and ν mass hierarchy
 - Precision of 1-5% in ν cross sections might be required

Relevance for oscillation experiments

Backgrounds

E.g. in the MiniBooNE $\nu_{\mu} \rightarrow \nu_{e}$ search



Also important for $\nu_{\mu} \rightarrow \nu_{e}$ measurements at T2K



CC cross sections: world data and NUANCE generator Formaggio, Zeller, Rev. Mod. Phys. (2012)

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Baryon resonances



$$\pi N \to R \to \pi N, \ \pi \pi N, \ \eta N, \ \Lambda K \ldots$$

 $\gamma N \to R \to \pi N, \, \pi \pi N, \, \eta N, \, \Lambda K \, \dots$

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• CC R excitation: $\nu_l(k) N(p) \rightarrow l^-(k') R(p')$

 $\frac{d\sigma}{dk'_0 d\Omega'} = \frac{1}{32\pi^2} \frac{|k'|}{k_0 M_N} \mathcal{A}(p') |\bar{\mathcal{M}}|^2 \quad \leftarrow \text{Inclusive cross section}$

$$\mathcal{A}(p') = \frac{M^*}{\pi} \frac{\Gamma(p')}{(p'^2 - M^{*2})^2 + M^{*2}\Gamma^2(p')}$$

 $\Gamma(p') \leftarrow \text{total momentum dependent width}$

$$\mathcal{M} = \frac{G_F \cos \theta_C}{\sqrt{2}} l^{\alpha} J_{\alpha}$$
$$l^{\alpha} = \bar{u}(k') \gamma^{\alpha} (1 - \gamma_5) u(k) \quad \leftarrow \text{leptonic current}$$

$$J_{lpha} = V_{lpha} - A_{lpha} \leftarrow ext{hadronic current}$$

can be parametrized in terms of N-R transition form factors

■ <u>⊿(1232)</u> J^P=3/2⁺

$$J_{\alpha} = \bar{u}^{\mu}(p') \left[\left(\frac{C_{3}^{V}}{M_{N}} (g_{\alpha\mu} \not{q} - q_{\alpha} \gamma_{\mu}) + \frac{C_{4}^{V}}{M_{N}^{2}} (g_{\alpha\mu} q \cdot p' - q_{\alpha} p'_{\mu}) + \frac{C_{5}^{V}}{M_{N}^{2}} (g_{\alpha\mu} q \cdot p - q_{\alpha} p_{\mu}) \right) \gamma_{5} + \frac{C_{3}^{A}}{M_{N}} (g_{\alpha\mu} \not{q} - q_{\alpha} \gamma_{\mu}) + \frac{C_{4}^{A}}{M_{N}^{2}} (g_{\alpha\mu} q \cdot p' - q_{\beta} p'_{\mu}) + C_{5}^{A} g_{\alpha\mu} + \frac{C_{6}^{A}}{M_{N}^{2}} q_{\alpha} q_{\mu} \right] u(p)$$

 $C_{3-5}^V, C_{3-6}^A \leftarrow N-\Delta$ transition form factors

Rarita-Schwinger fields: spin 3/2

$$u_{\mu}(p,s_{\Delta}) = \sum_{\lambda,s} \left(1\lambda \frac{1}{2}s \Big| \frac{3}{2}s_{\Delta} \right) \epsilon_{\mu}(p,\lambda) u(p,s)$$

• Eq. of motion: $(\not p - M_{\Delta}) u_{\mu} = 0$

with constrains:
$$\gamma^{\mu}u_{\mu}=p^{\mu}u_{\mu}=0$$

■ <u>⊿(1232)</u> J^P=3/2⁺

$$J_{\alpha} = \bar{u}^{\mu}(p') \left[\left(\frac{C_{3}^{V}}{M_{N}} (g_{\alpha\mu} \not{q} - q_{\alpha} \gamma_{\mu}) + \frac{C_{4}^{V}}{M_{N}^{2}} (g_{\alpha\mu} q \cdot p' - q_{\alpha} p'_{\mu}) + \frac{C_{5}^{V}}{M_{N}^{2}} (g_{\alpha\mu} q \cdot p - q_{\alpha} p_{\mu}) \right) \gamma_{5} \right. \\ \left. + \frac{C_{3}^{A}}{M_{N}} (g_{\alpha\mu} \not{q} - q_{\alpha} \gamma_{\mu}) + \frac{C_{4}^{A}}{M_{N}^{2}} (g_{\alpha\mu} q \cdot p' - q_{\beta} p'_{\mu}) + C_{5}^{A} g_{\alpha\mu} + \frac{C_{6}^{A}}{M_{N}^{2}} q_{\alpha} q_{\mu} \right] u(p)$$

Helicity amplitudes are extracted from data on π photo- and electroproduction in (model dependent) partial-wave analyses

$$A_{1/2} = \sqrt{\frac{2\pi\alpha}{k_R}} \langle R, J_z = 1/2 \left| \epsilon_{\mu}^{+} J_{\rm EM}^{\mu} \right| N, J_z = -1/2 \rangle \zeta$$

$$A_{3/2} = \sqrt{\frac{2\pi\alpha}{k_R}} \langle R, J_z = 3/2 \left| \epsilon_{\mu}^{+} J_{\rm EM}^{\mu} \right| N, J_z = 1/2 \rangle \zeta$$

$$S_{1/2} = -\sqrt{\frac{2\pi\alpha}{k_R}} \frac{|\mathbf{q}|}{\sqrt{Q^2}} \langle R, J_z = 1/2 \left| \epsilon_{\mu}^{0} J_{\rm EM}^{\mu} \right| N, J_z = 1/2 \rangle \zeta$$

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$$J_{\alpha} = \bar{u}^{\mu}(p') \left[\left(\frac{C_{3}^{V}}{M_{N}} (g_{\alpha\mu} \not{q} - q_{\alpha} \gamma_{\mu}) + \frac{C_{4}^{V}}{M_{N}^{2}} (g_{\alpha\mu} q \cdot p' - q_{\alpha} p'_{\mu}) + \frac{C_{5}^{V}}{M_{N}^{2}} (g_{\alpha\mu} q \cdot p - q_{\alpha} p_{\mu}) \right) \gamma_{5} \right. \\ \left. + \frac{C_{3}^{A}}{M_{N}} (g_{\alpha\mu} \not{q} - q_{\alpha} \gamma_{\mu}) + \frac{C_{4}^{A}}{M_{N}^{2}} (g_{\alpha\mu} q \cdot p' - q_{\beta} p'_{\mu}) + C_{5}^{A} g_{\alpha\mu} + \frac{C_{6}^{A}}{M_{N}^{2}} q_{\alpha} q_{\mu} \right] u(p)$$

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Resonance excitation in ν MC generators:

- Rein-Sehgal model: Rein-Sehgal, Ann. Phys. 133 (1981) 79.
- Helicity amplitudes for 18 baryon resonances; relativistic quark model
- **Poor description of** π electroproduction data on p



Leitner et al., POS NUFACT08

■ <u>⊿(1232)</u> J^P=3/2⁺

$$J_{\alpha} = \bar{u}^{\mu}(p') \left[\left(\frac{C_{3}^{V}}{M_{N}} (g_{\alpha\mu} \not{q} - q_{\alpha} \gamma_{\mu}) + \frac{C_{4}^{V}}{M_{N}^{2}} (g_{\alpha\mu} q \cdot p' - q_{\alpha} p'_{\mu}) + \frac{C_{5}^{V}}{M_{N}^{2}} (g_{\alpha\mu} q \cdot p - q_{\alpha} p_{\mu}) \right) \gamma_{5} \right. \\ \left. + \frac{C_{3}^{A}}{M_{N}} (g_{\alpha\mu} \not{q} - q_{\alpha} \gamma_{\mu}) + \frac{C_{4}^{A}}{M_{N}^{2}} (g_{\alpha\mu} q \cdot p' - q_{\beta} p'_{\mu}) + C_{5}^{A} g_{\alpha\mu} + \frac{C_{6}^{A}}{M_{N}^{2}} q_{\alpha} q_{\mu} \right] u(p)$$

Axial form factors

 $C_5^{\mathcal{A}}(0) = \sqrt{\frac{2}{3}} g_{\Delta N\pi} \quad \leftarrow \text{ off diagonal Goldberger-Treiman relation}$ $\mathcal{L}_{\Delta N\pi} = -\frac{g_{\Delta N\pi}}{f_-} \bar{\Delta}_{\mu} (\partial^{\mu} \vec{\pi}) \vec{T}^{\dagger} N \qquad g_{\Delta N\pi} \Leftrightarrow \Gamma(N^* \to N\pi)$

$$C_5^A = C_5^A(0) \left(1 + \frac{Q^2}{M_{A\Delta}^2}\right)^{-2}$$

Constraints from ANL and BNL data on $\,
u_{\mu} \, d
ightarrow \mu^{-} \, \pi^{+} \, p \, n$

■ <u>⊿(1232)</u> J^P=3/2⁺

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Axial form factors

$$egin{aligned} C_6^A &= C_5^A \, rac{M^2}{m_\pi^2 + Q^2} \leftarrow ext{PCAC} \ C_4^A &= -rac{1}{4} C_5^A \quad C_3^A &= 0 \leftarrow ext{ Adler model} \end{aligned}$$

ANL and BNL data do not allow to extract C^A_{3,4}: consistent with zero Hernandez et al., PRD81(2010)

Inclusive resonance production



T. Leitner, O. Buss, LAR, U. Mosel, PRC 79 (2009) T. Leitner, PhD Thesis, 2009

At E_ν = 2 GeV, CCN*(1520)/CCΔ ~ 0.5, CCN*(1440,1535)/CCΔ ~ 0.22
 N*(1520) is important for $\nu_l N \rightarrow l N' \pi$

Baryon resonances contribute to:

- the inclusive $\nu_l N \rightarrow l X$ cross section
- several exclusive channels: $\nu_l N \rightarrow l N' \pi$

 $\begin{aligned} \nu_l N &\to l N' \gamma \\ \nu_l N &\to l N' \eta \\ \nu_l N &\to l \Lambda(\Sigma) \bar{K} \end{aligned}$

At $E_{\nu} \sim 1$ GeV (MiniBooNE, SciBooNE, T2K) Δ (1232) is dominant At $E_{\nu} > 1$ GeV (MINOS, NOvA, DUNE) N* become also important

Weak meson production

 $\nu_l \, N \to l \, \pi \, N'$

• CC:
$$\nu_{\mu} p \rightarrow \mu^{-} p \pi^{+}, \quad \overline{\nu}_{\mu} p \rightarrow \mu^{+} p \pi^{-}$$

 $\nu_{\mu} n \rightarrow \mu^{-} p \pi^{0}, \quad \overline{\nu}_{\mu} p \rightarrow \mu^{+} n \pi^{0}$
 $\nu_{\mu} n \rightarrow \mu^{-} n \pi^{+}, \quad \overline{\nu}_{\mu} n \rightarrow \mu^{+} n \pi^{-}$

source of CCQE-like events (in nuclei)

needs to be subtracted for a good E_{ν} reconstruction

 \blacksquare e-like background to $\nu_{\mu} \rightarrow \nu_{e}$ (T2K)

$\nu_l N \to l \pi N'$

• Δ (1232) excitation:



$$\nu_l N \to l \pi N'$$

From Chiral symmetry:



N- Δ axial form factors: determination of C^A₅(0) and M_{A Δ}

 $C_5^A = C_5^A(0) \left(1 + \frac{Q^2}{M_{A\Delta}^2} \right)^{-2}$

- From ANL and BNL data on $u_{\mu} \, d o \mu^{-} \, \pi^{+} \, p \, n$
- Graczyk et al., PRD 80 (2009)
 - Deuteron effects
 - Non-resonant background absent
 - $C^{A_5}(0) = 1.19 \pm 0.08$, $M_{A \Delta} = 0.94 \pm 0.03$ GeV
- Hernandez et al., PRD 81 (2010)
 - Deuteron effects
 - $C^{A_5}(0) = 1.00 \pm 0.11$, $M_{A \Delta} = 0.93 \pm 0.07$ GeV
 - **20%** reduction of the GT relation $C_5^A(0) = 1.15 1.2$

N- Δ axial form factors: determination of C^A₅(0) and M_{A Δ}

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- From ANL and BNL data on $u_{\mu} \, d
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- Graczyk et al., PRD 90 (2014)
 - Deuteron effects
 - Non-resonant background present
 - **N**- Δ e.m. form factors fitted to F₂ data (e-p scattering)
 - $C_5^A(0) = 1.10^{+0.15}_{-0.14}, M_{A\Delta} = 0.85^{+0.09}_{-0.08} \text{ GeV}$

Watson's theorem

- Unitarity
- Time reversal invariance

 $\sum_{M} \langle M|T|F \rangle^* \langle M|T|I \rangle = -2 \mathrm{Im} \langle F|T|I \rangle \in \mathbb{R}$

For $W N \rightarrow \pi N$

• assuming that
$$|M\rangle = |F\rangle = |\pi N\rangle$$

schematically:

 $\langle \pi N | T | \pi N \rangle^* \langle \pi N | T | W N \rangle = -2 \mathrm{Im} \langle \pi N | T | W N \rangle \in \mathbb{R}$

 $\langle \pi N | T | \pi N \rangle \approx \langle \pi N | T_{\text{strong}} | \pi N \rangle$

Watson's theorem

- Unitarity
- Time reversal invariance

For W N $\rightarrow \pi$ N

 $\sum_{\rho} \sum_{L} \frac{2L+1}{2J+1} (L, 1/2, J; 0, -\lambda') (L, 1/2, J; 0, -\rho) \langle J, M; L, 1/2 | T_{\text{str}} | J, M; L, 1/2 \rangle^* \langle J, M; 0, \rho | T | 0, 0; r, \lambda \rangle \in \mathbb{R}.$

For the dominant J=3/2, I=3/2, L=1 \Leftrightarrow P₃₃ partial wave $\left[\sum_{\rho} (1, 1/2, 3/2; 0, -\rho) (1, 1/2, 3/2; 0, -\rho) \langle 3/2, M; 0, \rho | T | 0, 0; r, \lambda \rangle\right] e^{-i\delta_{P_{33}}} \in \mathbb{R}$

writing $T = T_{\Delta} + T_B e^{-i\delta(W,q^2)}$ we impose Watson's theorem.

 This approach has been applied for π photo and electroproduction Olsson, NPB78 (1974) Carrasco, Oset, NPA536 (1992) Gil, Nieves, Oset, NPA627 (1997)

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Watson's theorem

- Unitarity
- Time reversal invariance

For W N $\rightarrow \pi$ N

 $\sum_{\rho} \sum_{L} \frac{2L+1}{2J+1} (L, 1/2, J; 0, -\lambda') (L, 1/2, J; 0, -\rho) \langle J, M; L, 1/2 | T_{\rm str} | J, M; L, 1/2 \rangle^* \langle J, M; 0, \rho | T | 0, 0; r, \lambda \rangle \in \mathbb{R}$

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writing $T = T_{\Delta} + T_B e^{-i\delta(W,q^2)}$ we impose Watson's theorem.

This approach has been applied for π photo and electroproduction
 In weak production two phases δ_V and δ_A are needed

Fit to ANL and BNL data with W < 1.4 GeV



C^A₅(0) = 1.12 \pm 0.11, M_{A Δ} = 0.95 \pm 0.06 GeV

• Consistent with the off-diagonal GT relation $C_5^A(0) = 1.15 - 1.2$

Discrepancies between ANL and BNL datasets



Reanalysis by Wilkinson et al., PRD90 (2014)

- **Flux normalization independent ratios**: CC1 π^+ / CCQE
- Good agreement for ratios
- Better understood CCQE cross section used to obtain the CC1 π^+ one

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- Good agreement for ratios
- Better understood CCQE cross section used to obtain the CC1 π^+ one

New fit to ANL and BNL data

- Shape from original ANL $d\sigma/dQ^2$
- Integrated σ from Wilkinson et al.: points with $E_{\nu} < 1$ GeV



C^A₅(0) =1.14 ± 0.07, M_{A Δ} = 0.96 ± 0.07 GeV
C^A₅(0) =1.12 ± 0.11, M_{A Δ} = 0.95 ± 0.06 GeV ← former fit
C^A₅(0) =1.15 - 1.20 ← GT

Fits to ANL and BNL data

C^A₅(0) =1.12 \pm 0.11, M_{A Δ} = 0.95 \pm 0.06 GeV \leftarrow original data (A)

C^A₅(0) = 1.14 \pm 0.07, M_{A Δ} = 0.96 \pm 0.07 GeV \leftarrow reanalysis (B)

Relative error: $r_A = 10 \% \Rightarrow r_B = 6 \%$

Is this precision enough?

Should ν -N cross sections be measured again?

$\mathsf{NC}\gamma$

Photon emission in NC interactions:

- on nucleons $\nu(\bar{\nu}) N \to \nu(\bar{\nu}) \gamma N$
- on nuclei $u(ar{
 u}) \, A o
 u(ar{
 u}) \, \gamma \, X \quad \leftarrow ext{ incoherent}$

$$u(ar{
u}) \, A o
u(ar{
u}) \, \gamma \, A \hspace{0.2cm} \leftarrow \hspace{0.2cm} ext{coherent}$$

Small cross section (weak & e.m.)

but

Important background for $\nu_{\mu} \rightarrow \nu_{e}$ studies (θ_{13} , δ) if γ is misidentified as e [±] from CCQE $\nu_{e} n \rightarrow e^{-} p$ or $\overline{\nu}_{e} p \rightarrow e^{+} n$ $\mathsf{NC}\gamma$

Photon emission in NC interactions:





Feynman diagrams:



R. Hill, PRD 81 (2010) Zhang & Serot, PRC 86 (2012) Wang, LAR, Nieves, PRC 89 (2014)

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 $NC\gamma$



• The ω exchage contribution is very small

■ J. Rosner, PRD 91 (2015) \Rightarrow ¹/₄ smaller

Z- ω - γ vertex calibrated by $\tau \to \nu_{\tau} a_1$ and $f_1 \to \rho \gamma$ decays

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NC_y events at MiniBooNE

Comparison to the MiniBooNE estimate

Resonance model (R&S) tuned to π production data

• Only R -> N γ



E. Wang, LAR, J. Nieves, PLB 740 (2015)

NCγ : insufficient to explain the excess of e-like events at MiniBooNE

Same conclusion as Zhang, Serot, PLB 719 (2013)

e-like events at MiniBooNE

- Oscillations: not explained by 1, 2, 3 families of sterile neutrinos
 J. Conrad et al., Adv. High Energy Phys. 2013, C. Giunti et al., PRD88 (2013)
- Heavy neutrinos S. Gninenko, PRL 103 (2009), M. Masip et al, JHEP 1301 (2013)



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• m_h = 50 MeV, τ_h = 5 × 10⁻⁹ s, BR($\nu_h \rightarrow \nu_\mu \gamma$)= 0.01



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 \blacksquare m_h= 50 MeV, $\tau_{\rm h}$ = 5 × 10⁻⁹ s, BR($\nu_{\rm h} \rightarrow \nu_{\mu} \gamma$)= 0.01



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MicroBooNE

- 170 ton LArTPC
- Located along the Booster neutrino beam line
- Distinguishes electrons from photons



MicroBooNE

- 6.6 × 10²⁰ POT
- Active mass = 86.6 tons
- Flux prediction:



LAR, E. Saul, E. Wang, preliminary



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NCy events at T2K

Target: H_2O

Abe et al, PRL 112 (2014) 061802

- Mass: 22.5 ktons
- POT: 6.57 x 10²⁰ (*ν* mode)
- Fluxes: SK250 100 MeV < E_{ν} < 3 GeV Abe et al, PRD 87 (2013)



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 $N_{tot} = 0.427 \pm 0.050 \text{ vs} \quad N_{NEUT} = 0.217$

■ Does this discrepancy matter?
 ■ For θ₁₃?: probably not.

NC_y events at T2K



- Does this discrepancy matter?
 - For θ_{13} ?: probably not.
 - **Better** π^{o} rejection cut \Rightarrow NC γ relatively more important
 - For CP violation searches? perhaps...

Weak meson production

• $\Delta S = 0 \text{ e.g.} \nu_l p(n) \rightarrow l^- K^+ \Sigma^+(\Lambda)$ Nakamura et al.,arXiv:1506.03403

■ *△*S = 1 :

- **Cabibbo suppressed** but with lower thresholds than $\Delta S = 0$
- Kaon: $\nu_l p \rightarrow l^- K^+ p$ $\nu_l n \rightarrow l^- K^0 p$ $\nu_l n \rightarrow l^- K^+ n$

Background for proton decay $p \rightarrow \nu \ K^+$

■ *△*S = -1 :

Cabibbo suppressed but with lower thresholds than $\Delta S = 0$

- antiKaon: $\bar{\nu}_l p \rightarrow l^+ K^- p$ $\bar{\nu}_l p \rightarrow l^+ \bar{K}^0 n$ $\bar{\nu}_l n \rightarrow l^+ K^- n$ $\bar{\nu}_l n \rightarrow l^+ K^- n$ $\Sigma \pi$: $\bar{\nu}_l p \rightarrow l^+ \Sigma^0 \pi^0$
 - $\pi: \quad \begin{array}{ccc} \nu_l p & \rightarrow & l^+ \Sigma^- \pi \\ & \bar{\nu}_l p & \rightarrow & l^+ \Sigma^+ \pi^- \\ & \bar{\nu}_l p & \rightarrow & l^+ \Sigma^- \pi^+ \end{array}$

can proceed through the excitation of Λ or Σ resonances
 in particular: Λ(1405)

• $ar{
u}_l \, p
ightarrow l^+ \, \phi \, B$ Ren et al., PRC91 (2015)

 $\phi B = K^{-} p, \, \bar{K}^{0} n, \, \pi^{0} \Lambda, \, \pi^{0} \Sigma^{0}, \, \eta \Lambda, \, \eta \Sigma^{0}, \, \pi^{+} \Sigma^{-}, \, \pi^{-} \Sigma^{+}, \, K^{+} \Xi^{-}, \, K^{0} \Xi^{0}$

- SU(3) symmetric chiral Lagrangian
- Physical hadron masses
- Couplings depend on V_{us} and D, F, $f_{\pi} \leftarrow$ fixed by semileptonic decays
- Global dipole form factor

$$F(q^2) = \left(1 - rac{q^2}{M_F^2}
ight)^{-2}$$
 M_F = 1 ± 0.1 GeV

- s-wave projection
- Unitarization in coupled channels

Weak strangeness production • $\bar{\nu}_l p \rightarrow l^+ \phi B$ Ren et al., PRC91 (2015) $\phi B = K^- p, \bar{K}^0 n, \pi^0 \Lambda, \pi^0 \Sigma^0, \eta \Lambda, \eta \Sigma^0, \pi^+ \Sigma^-, \pi^- \Sigma^+, K^+ \Xi^-, K^0 \Xi^0$ • Unitarization in coupled channels



T: Solution of the Bethe-Salpeter eq. in coupled channels

$T = V + VGT = [1 - VG]^{-1}V$

- V: from leading order chiral Lagrangian
- Cut-off regularization of the loop functions with q_{max} = 630 MeV
- Oset, Ramos, NPA635 (1998)

• $\bar{
u}_l \, p
ightarrow l^+ \, \phi \, B$ Ren et al., PRC91 (2015)

 $\phi B = K^{-} p, \, \bar{K}^{0} n, \, \pi^{0} \Lambda, \, \pi^{0} \Sigma^{0}, \, \eta \Lambda, \, \eta \Sigma^{0}, \, \pi^{+} \Sigma^{-}, \, \pi^{-} \Sigma^{+}, \, K^{+} \Xi^{-}, \, K^{0} \Xi^{0}$

Unitarization in coupled channels



Λ(1405) dynamically generated

Two poles: $M \approx 1385 \text{ MeV}$, $\Gamma \approx 150 \text{ MeV}$ $M \approx 1420 \text{ MeV}$, $\Gamma \approx 40 \text{ MeV}$

Suggested by Dalitz et al.(60ies) and obtained in many theoretical studies

Oller, Meissner, PLB500(2001); Jido et al. NPA725(2003); Borasoy et al. PRC74(2006); Geng, Oset, EPJA34(2007; Hyodo, Jido, Prog.Part.Nucl.Phys.67(2012); Guo, Oller PRC87(2013); Roca, Oset PRC87(2013); Mai, Meissner, EPJA51(2015); ...

• $\bar{
u}_l \, p
ightarrow l^+ \, \phi \, B$ Ren et al., PRC91 (2015)

 $\phi B = K^{-} p, \, \bar{K}^{0} n, \, \pi^{0} \Lambda, \, \pi^{0} \Sigma^{0}, \, \eta \Lambda, \, \eta \Sigma^{0}, \, \pi^{+} \Sigma^{-}, \, \pi^{-} \Sigma^{+}, \, K^{+} \Xi^{-}, \, K^{0} \Xi^{0}$

Unitarization in coupled channels



Λ(1405) dynamically generated

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Suggested by Dalitz et al.(60ies) and obtained in many theoretical studies

Consistent with data:

 $\begin{array}{l} K^{-} p \rightarrow \phi \, B, \, K^{-} \, p \rightarrow \pi^{0} \, \pi^{0} \, \Sigma^{0}, \, p \, p \rightarrow p \, K^{-} \, \Lambda(1405), \, \gamma \, p \rightarrow K^{+} \, \pi \, \Sigma, \\ e \, p \rightarrow e' \, K^{+} \, \Lambda(1405) \end{array}$

L. Alvarez-Ruso, IFIC

• $e\,p
ightarrow e'\,K^+\,\Lambda(1405)$ Lu et al. (CLAS), PRC88(2013)



• $\bar{
u}_l \, p
ightarrow l^+ \, \phi \, B$ Ren et al., PRC91 (2015)

 $\phi B = K^{-} p, \, \bar{K}^{0} n, \, \pi^{0} \Lambda, \, \pi^{0} \Sigma^{0}, \, \eta \Lambda, \, \eta \Sigma^{0}, \, \pi^{+} \Sigma^{-}, \, \pi^{-} \Sigma^{+}, \, K^{+} \Xi^{-}, \, K^{0} \Xi^{0}$

Unitarization in coupled channels



■ *Λ*(1405) dynamically generated

Two poles: $M \approx 1385$ MeV, $\Gamma \approx 150$ MeV M ≈ 1420 MeV, $\Gamma \approx 40$ MeV

 $\blacksquare \quad \bar{\nu}_l \, p \to l^+ \, \Lambda(1405) \,_{\rm VS} \ \gamma \, p \to K^+ \, \pi \, \Sigma, \, e \, p \to e' \, K^+ \, \Lambda(1405)$

- no lineshape distortion due to $K^+\Lambda(1405)$ FSI
- but Cabibbo suppressed



Unitarization effects are not large: mostly a reduction of the cross section

• $\bar{
u}_l \, p
ightarrow l^+ \, \Sigma \, \pi$ Ren et al., PRC91 (2015)



Cross sections largely driven by the $\Lambda(1405)$ resonance

• $\bar{
u}_l \, p
ightarrow l^+ \, \Sigma \, \pi$ Ren et al., PRC91 (2015)



- Cross sections largely driven by the $\Lambda(1405)$ resonance
- Differences in strength vs the $\pi^0 \Sigma^0$ channel from the I=1 amplitude
- Single asymmetric peak with more weight from the 1420 MeV pole

• $\bar{
u}_l \, p
ightarrow l^+ \, \Sigma \, \pi$ Ren et al., PRC91 (2015)



Single asymmetric peak with more weight from the 1420 MeV pole

- **Backwards**: ~ Breit-Wigner resonance with M \approx 1420 MeV, $\Gamma \approx$ 40 MeV
- Although $d^2\sigma(\cos\theta = -1) \sim d^2\sigma(\cos\theta = 1)/14$

• $\bar{
u}_l \, p
ightarrow l^+ \, \Sigma \, \pi$ @ Minerva (FNAL)



 $R \approx 2000 \ \pi \Sigma$ pairs @ scintillator

Conclusions

- ν scattering on nucleons and nuclei is relevant for oscillation studies
- Interesting for hadron and nuclear physics
- This is the case, in particular, for weak meson production
 - dominated by baryon resonance excitation

Conclusions

- ν scattering on nucleons and nuclei is relevant for oscillation studies
- Interesting for hadron and nuclear physics
- Weak pion production, photon emission and $|\Delta S| = 1$ reactions discussed
- Weak pion production: consistency with the off-diagonal G-T relation for the N-∆ transition is restored by imposing the Watson's theorem
- NC photon emission:
 - results agree with MiniBooNE's estimate → insufficient to explain the excess of e-like events at MiniBooNE
 - implications for T2K: twice more NCγ events predicted vs NEUT
- Weak production of A(1405) studied for the first time. Events at MINERvA predicted